## LRC - Instructable

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LRC - Instructable ( version: 2014/03/03)
          This contains the code for the instructable:
          Incredibility Powerful Resistance Calculator by russ hensel
          The code computes series/parallel properties of various inductors,
resistors, and capacitors.
          The worksheet can be downloaded from
                Instructables, as part of a larger zip file:
                                                              <url>
     Intended Use:
          Read and tinker around with it, you may want to copy and rename so you
still have
          an original to mess with.
                 March 3, 2014 Status: Done
     Version:
                 Built and tested on Sage 5.1 Running under Virtual Box on Windows 7
     Estimated Minimum Level Useful for Understanding the Worksheet
           SageMath - beginner
           Electronics - basic knowledge
     Possibly useful references ( Some are more advanced than the material in this
worksheet )
     Some related files:
          LRC - Examples
     Authors: http://www.instructables.com/member/russ hensel/ (contact for
comments, additions, or problems )
```

```
# Explaining and Understanding the code in the next cell is not part of
# the instructable, but feel free to read as you wish
# for the instructable, just skip to the end of the next cell and execute it.
# the next cell has a copy of the LRC code
```

## LRC defined

```
# For the first calculation we will get the total resistance for a resistor
# of 1 K ohms in series with one of 10 K ohms
# ( and yes I know if you know much electronics you can do this in your head )
print "First Calculation - Add 1K resistor to 10K resistor in series:"
print
# Step 1
# make a resistor which is the calculator, LRC stands for Inductance, Resistance,
# Capacitance, and is # used because the calculator can do all of them.
# I will use the long name "aResistor" to remind you what it stands for,
# but you could use just "r"
# This next line creates a "aResistor" of no value ( technically with a value of None
# Step 1
aResistor = LRC()
print "ignore the print out about frequency, this is only used in more advanced
calculations"
# Step 2
# we now add a new resistance to our "resistor"
aResistor.add series r( 1000 ) # add a 1 k ohm resistor
```

```
# this will cause a output that tells what we did
# Step 3
# now add the second resistance, in series with the first
aResistor.add series r(10000) # 10000 = 10K
# this again will cause a output that tells what we did
# Step 4
# get the final value for the resistance ( note that z is a general symbol for
resistance )
print
print "Final value of combined resistance = ", aResistor.get z()
# shows the current value for the resistance, just the sum of resistances
# final comment suppresses default print at end of cell
   First Calculation - Add 1K resistor to 10K resistor in series:
   LRC() using internal frequency lrc freq in Hz
   ignore the print out about frequency, this is only used in more
   advanced calculations
   LRC.add series r() 1000
   LRC.add series r() 10000
   Final value of combined resistance = 11000
```

# next cell shows same calculation without most of the comments
# and prints, shows that calculations may be shorter than they
# seem in my more verbose examples.

```
aResistor = LRC()
aResistor.add_series_r( 1000 )
```

```
aResistor.add series r( 10000 )
print "Final value of combined resistance = ", aResistor.get z()
# final comment suppresses default print at end of cell
   LRC() using internal frequency lrc freq in Hz
   LRC.add series r() 1000
   LRC.add series r() 10000
   Final value of combined resistance = 11000
print "Second Calculation - Add 1K resistor to 10K resistor in parallel:"
print
# ----
# make a "aResistor" which is the calculator
aResistor = LRC()
# ----
# we now add a resistance to our "resistor"
aResistor.add parallel r( 1000 )
# this will cause a output that tells what we did, and the current
# value for the impedance = resistance
# ----
# now add the second resistance, in parallel with the first
aResistor.add parallel r( 10000 )
# this again will cause a output that tells what we did, and the
# ----
print
print "Final value of combined resistance = ", aResistor.get nz()
# nz in function above pushes full numeric evaluation to a decimal value
```

```
# thi comment suppress end of cell default print
  Second Calculation - Add 1K resistor to 10K resistor in parallel:
  LRC() using internal frequency lrc freq in Hz
  LRC.add parallel r() 1000
  LRC.add parallel r() 10000
  Final value of combined resistance = 909.090909090909
# A More Complicated Circuit
# I will give the schematic in ascii characters -- not part of the calculation,
# just to help you understand
# lots of print statements, not necessary, just to help explain what is going on
print "Third Calculation - example of series and parallel resistor combination:"
print
print "Calculate resistance from x to x"
print
print " |-----"
print "
print "x---|-----1.5K-----x"
print "
print " |-----"
print
# make the resistor calculator
print "Begin..."
aResistor = LRC()
print
```

print "Do the parallel resistors..."

print "x---|-----1.5K-----=

print

print "

print "

```
print " |-----|"
print
aResistor.add parallel r(1.5e3) # 1.5e3 is scientific notation, a shorter way of
writing 1500
aResistor.add parallel r(1.5e3)
aResistor.add parallel r( 1.5e3 )
print "and now the two series reisistors "
print
          |----1.5k-----|.5K----|"
print "
print
print
aResistor.add series r( 1.5e3 )
aResistor.add series r( 1.5e3 )
print
# done but a final step using n()
print "Final value of combined resistance = ", aResistor.get nz( )
# suppress end of cell default print
  Third Calculation - example of series and parallel resistor
   combination:
   Calculate resistance from x to x
      |----1 5K-----
  x---|-----1.5K----==----1.5k------ 1.5K-----x
      |-----1.5K-----
  Begin...
  LRC() using internal frequency lrc freq in Hz
   Do the parallel resistors...
```

Final value of combined resistance = 3500.0000000000

```
print "Without much explanation get the formula for 2 resistors in parallel"
print "the calculator can even do algebra and plotting with formulas."
print "more of that in an advanced worksheet see files attached to instructable"

# when we do things symbolically we need to define our symbols

var("r1")  # symbol for resistor 1
var("r2")  # symbol for resistor 2
var("r3")  # symbol for resistor 3 the combination

lrc = LRC()

print
lrc.add_parallel_r( r1 )
lrc.add_parallel_r( r2 )

print
print "final formula is: "
```

```
show( lrc.get_z() ) # show is similar to print but nicer output

Without much explanation get the formula for 2 resistors in parallel the calculator can even do algebra and plotting with formulas. more of that in an advanced worksheet see files attached to instructable LRC() using internal frequency lrc_freq in Hz

LRC.add_parallel_r() r1

LRC.add_parallel_r() r2

final formula is:

\frac{1}{r_1} + \frac{1}{r_2}
```

```
print "Repeat and extend symbolic calculation -- solve for r sub 1"
print "Again without much explanation get the formula for 2 resistors in parallel"
print
# when we do things symbolically we need to define our symbols
var("r1")
           # symbol for resistor 1
var("r2") # symbol for resistor 2
var("r3") # symbol for resistor 3 the combination
lrc = LRC()
lrc.add parallel r( r1 )
lrc.add parallel r( r2 )
print
print "so the two in parllel are: ", lrc.get z()
print
```

```
print "Now do some algebra and turn the calculation into an equation for r3"
print "then solves for r1 in terms of r3 and r2"
# I am not explaining this, but it is just SageMath, look in web references
equation = (r3 == lrc.get z())
print equation
print
print "solving..."
solution = equation.solve( r1 )
print( solution ) # show( solution ) gives nicer output, try it
   Repeat and extend symbolic calculation -- solve for r sub 1
   Again without much explanation get the formula for 2 resistors in
   parallel
   LRC() using internal frequency lrc freq in Hz
   LRC.add parallel r() r1
   LRC.add parallel r() r2
   so the two in parllel are: 1/(1/r1 + 1/r2)
   Now do some algebra and turn the calculation into an equation for r3
   then solves for r1 in terms of r3 and r2
   r3 == (1/(1/r1 + 1/r2))
```

solving...

r1 == r2\*r3/(r2 - r3)